

Modelling of Arc Welding Power Source

COMSOL
CONFERENCE
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Overview

- Objectives
- Goldak's Model
- Experiment
- Model Definition
- Validation
- Conclusions

Objectives

Modelling Arc Welding Heat Source to Predict Peak Temperatures and Cooling Rate

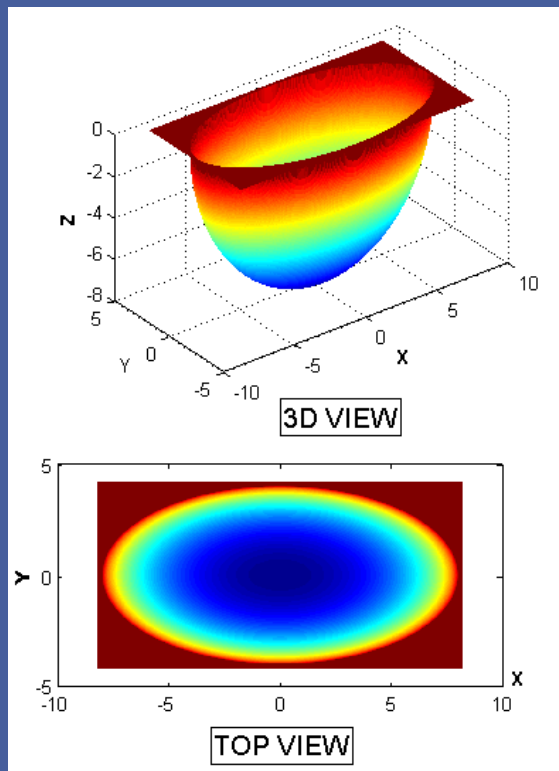
Goldak's Model

➤ Heat Source - Characteristics:

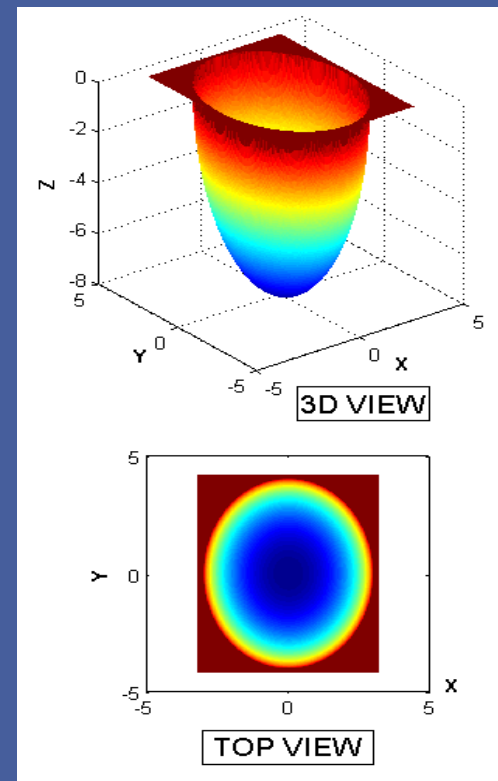
- Double ellipsoid (half bottom) composed by two quarters of different ellipsoids
- Gaussian distribution of the power density inside the double ellipsoid
- Maximum value q_0 at the center of the double ellipsoid
- Minimum value of 5 % of q_0 at the surface of the double ellipsoid

Goldak's Model

➤ Heat Source - Geometry:



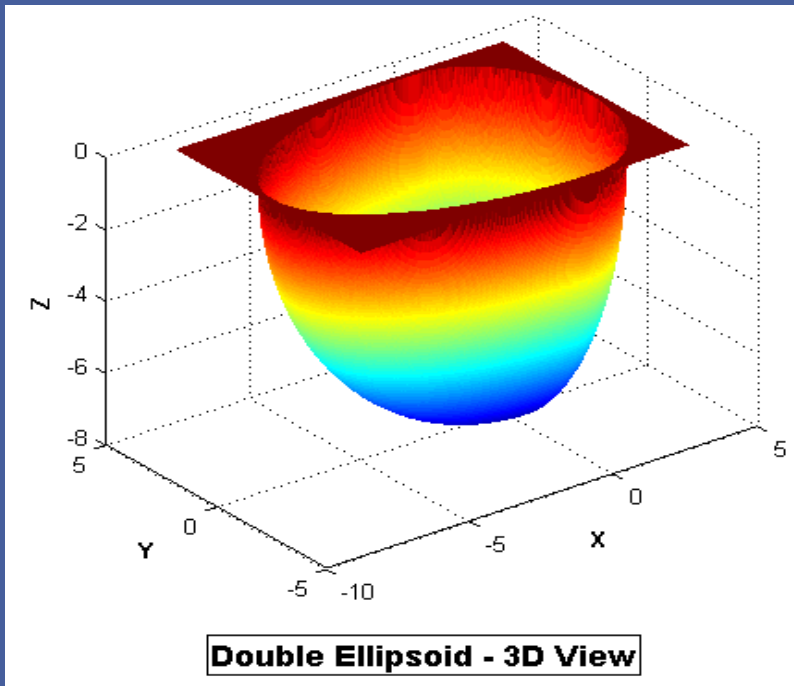
Elipsoid A



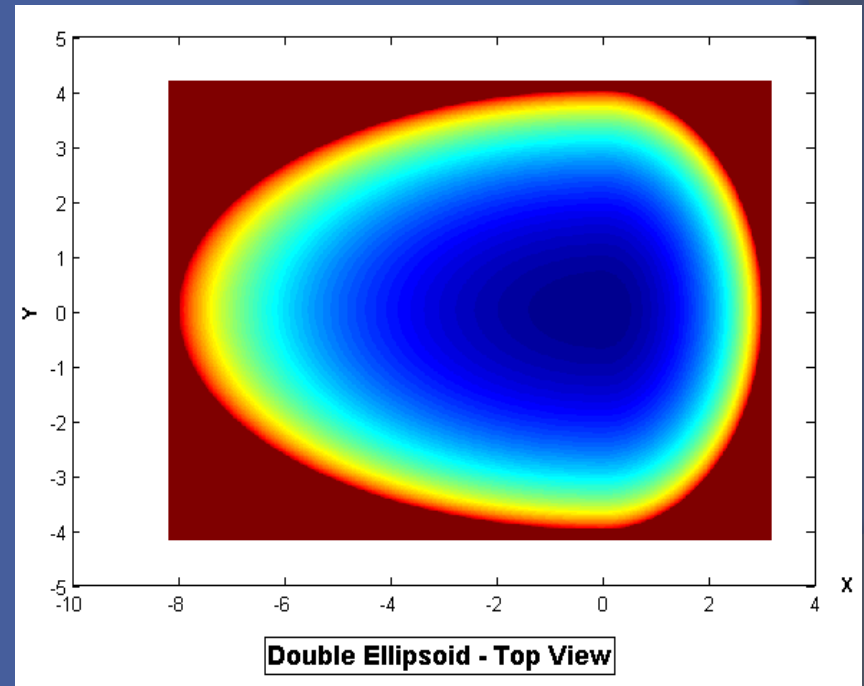
Elipsoid B

Goldak's Model

➤ Heat Source - Geometry:



Double Ellipsoid – 3D View



Double Ellipsoid – Top View

Goldak's Model

➤ Heat Source - Equations:

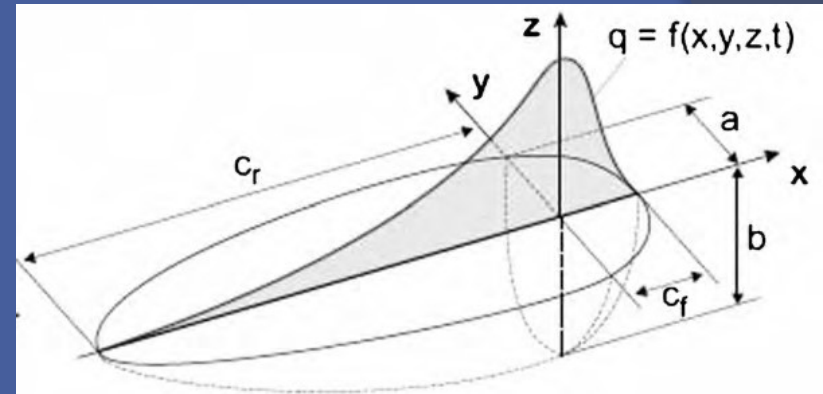
$$f_1(x, y, z, t) = \frac{6\sqrt{3}f_f Q}{abc_f \pi \sqrt{\pi}} e^{-3 \left[\frac{(x-x_{00})^2}{c_f^2} + \frac{(y-y_0)^2}{a^2} + \frac{(z-z_0)^2}{b^2} \right]}$$

Power density distribution inside the **F**ront quadrant

$$f_2(x, y, z, t) = \frac{6\sqrt{3}f_r Q}{abc_r \pi \sqrt{\pi}} e^{-3 \left[\frac{(x-x_{00})^2}{c_r^2} + \frac{(y-y_0)^2}{a^2} + \frac{(z-z_0)^2}{b^2} \right]}$$

Power density distribution inside the **R**ear quadrant

$$q(x, y, z, t) = \begin{cases} f_1(x, y, z, t) & \text{for } x \geq x_{00} \\ f_2(x, y, z, t) & \text{for } x < x_{00} \end{cases}$$



Power Density Distribution Inside the Double Ellipsoid

Where Q is the power rate,

(x_0, y_0, z_0) is the center point,

$x_{00} = x_0 + vt$ and $v = \text{welding speed}$.

f_f and f_r are coefficients to ensure continuity condition,

$$f_f + f_r = 2,$$

$$f_1(x_{00}, y, z, t) = f_2(x_{00}, y, z, t) \Leftrightarrow f_f/c_f = f_r/c_r$$

Goldak's Model

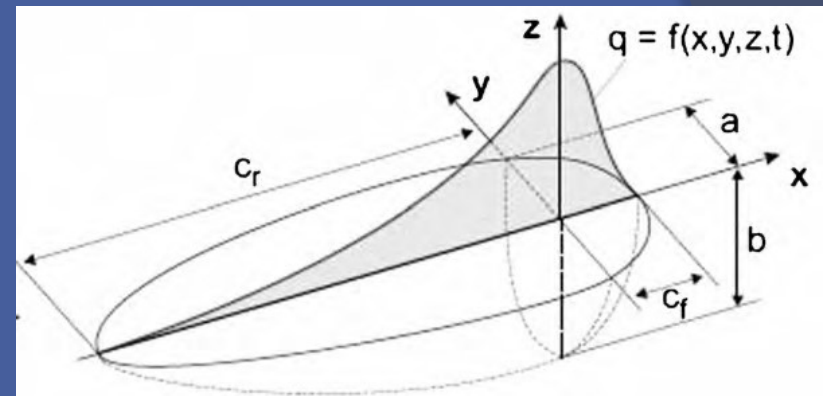
➤ Heat Source - Equations:

$$f_1(x, y, z, t) = q_0 e^{-3 \left[\frac{(x-x_{00})^2}{c_f^2} + \frac{(y-y_0)^2}{a^2} + \frac{(z-z_0)^2}{b^2} \right]}$$

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Power density distribution inside the **R**ear quadrant



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$$f_1(x_{00}, y, z, t) = f_2(x_{00}, y, z, t) \Leftrightarrow f_f/c_f = f_r/c_r$$

Experiment

➤ Process:

- Metal cored wire
- C25 gas
- Preheat Temperatures of
-30 °C, 30 °C, 100 °C,
150 °C and 200 °C.



Robot and Power Source



Plate

➤ Geometry:

API 5L X80 steel Plate of 32 mm thick with no chamfer, in bead on plate configuration.

Experiment

➤ Data Acquisition:

- Thermocouples:

type K:

- 1 positioned at the bottom of the plate.
- 5 positioned 2 mm, 4 mm, 6 mm, 8 mm and 10 mm away from the bead.

type S:

- 1 plunged into the weld pool.



Thermocouples positioning

Experiment

➤ Data Acquisition:

Weld Pool Measures:



Weld Pool

front length:

C_f

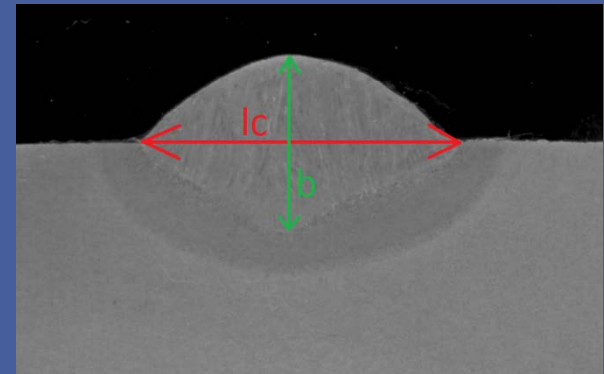
rear length:

C_r

total length:

$$C = C_f + C_r$$

Macrograph Measures:



Macrograph

width:
 l_c

penetration:
 b

Model Definition

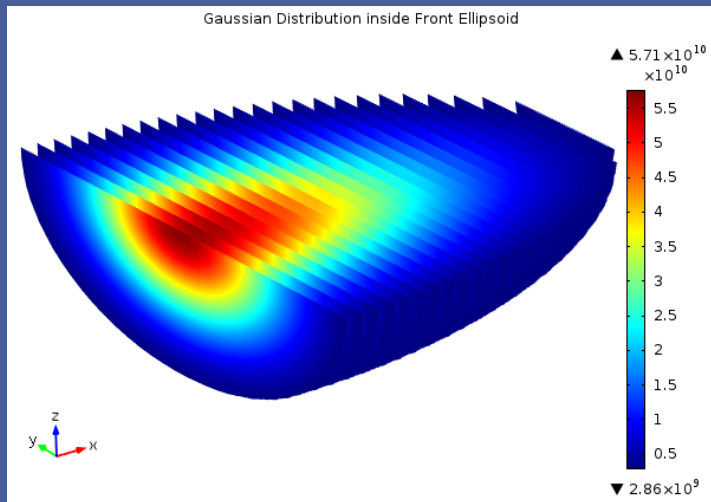
➤ Parameters

- Plate Geometry:
 - Length (l)
 - Width (w)
 - Thickness (th)
- Process:
 - Tension (U)
 - Current (I)
 - Thermal efficiency (n)
 - Welding speed (v)
 - Energy input rate (Q)
- Bead Geometry:
 - Penetration depth (p)
 - Bead width (bw)
 - Total length of the weld pool (c)
 - Front length of the weld pool (cf)
 - Rear length of the weld pool (cr)
- Source:
 - Front proportion coefficient (ff)
 - Rear proportion coefficient (fr)
 - Maximum power density (q0)
- Boundary conditions:
 - Pre-heat temperature (T0)
 - Ambient temperature (Tamb)
 - Convection coefficient (h)
- Initial conditions:
 - Source position (x0,y0,z0)
 - Temperature (T0)

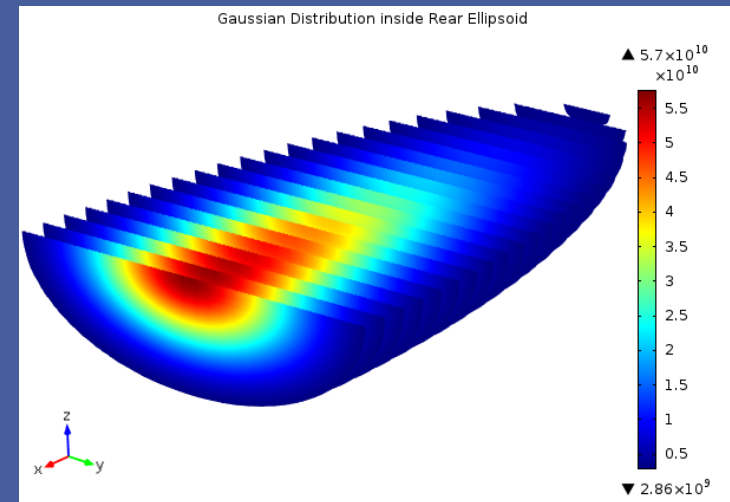
Model Definition

➤ Functions

- Gaussian Distribution Inside of an Ellipsoid
 - expression: $q_0^*(\exp(-3*((A-A_0)^2/CC^2+(B-B_0)^2/a^2+(C-C_0)^2/b^2)))$



Front Part



Rear Part

Model Definition

➤ Variables

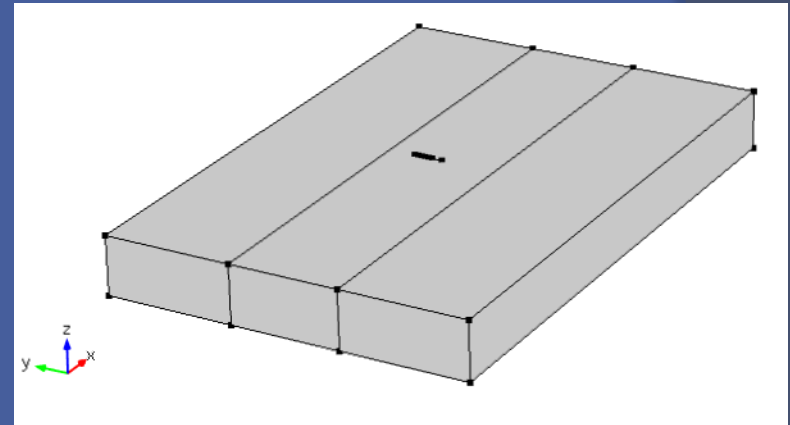
- Sources center position
 - $x00=x0+v*t$
- Source 1 (front part)
 - $Q1=an1(x,x00,y,y0,z,z0,a,b,cf)*(x \geq x00)$
- Source 2 (rear part)
 - $Q2=an1(x,x00,y,y0,z,z0,a,b,cr)*(x < x00)$

Model Definition

➤ Geometry

3D Component with

- plate dimensions
- lines (to create different mesh regions)
- points at thermocouple position
(to improve accuracy at this points)



Geometric model of the plate

Model Definition

➤ Heat Transfer in Solids Physic Module:

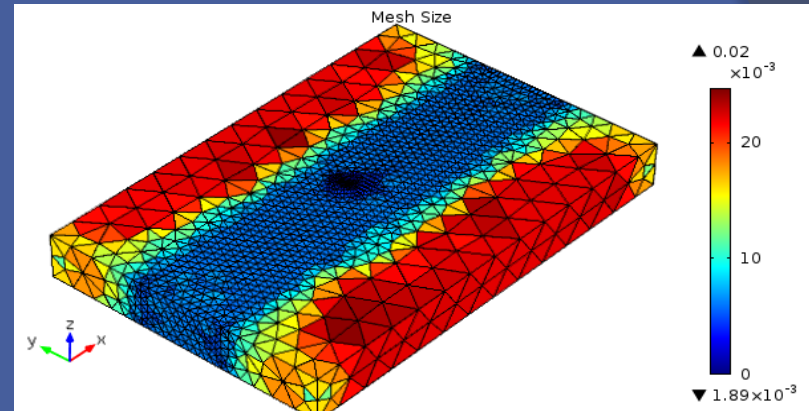
- Heat Source 1
 - General Source defined as $(t \leq wt) * Q1$
 - Where $(t \leq wt)$ is the turn off condition
- Heat Source 2
 - General Source defined as $(t \leq wt) * Q2$
 - Where $(t \leq wt)$ is the turn off condition
- Surface-to-Ambient Radiation
- Convective Heat Flux
 - User defined: Heat transfer coefficient = h

Model Definition

➤ Mesh

Surface Elements

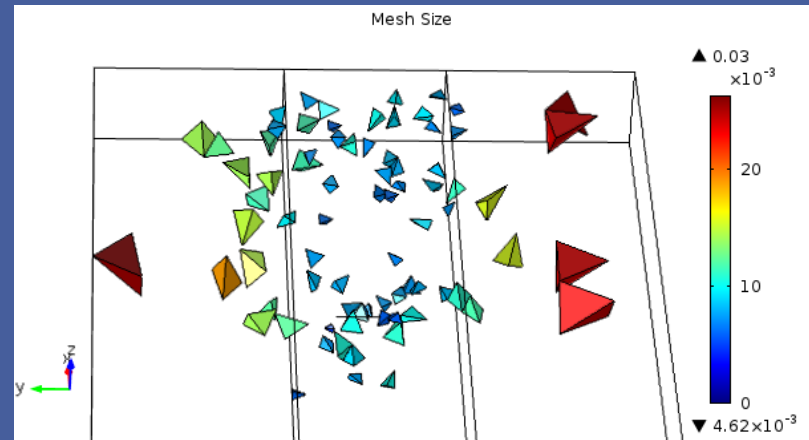
Triangles



Surface Elements Size

Volume Elements

Tetrahedrons



Volume Elements Size

Validation

➤ Peak Temperature

Position	2 mm away from bead			
Preheat Temperature	30 °C	100 °C	150 °C	200 °C
Experimental (°C)	Failed	1058	Failed	1196
Numeric (°C)	1094	1054	1094	1128

Position	8 mm away from bead			
Preheat Temperature	30 °C	100 °C	150 °C	200 °C
Experimental (°C)	Failed	Failed	660	670
Numeric (°C)	450	495	524	667

Position	4 mm away from bead			
Preheat Temperature	30 °C	100 °C	150 °C	200 °C
Experimental (°C)	Failed	889	Failed	798
Numeric (°C)	759	773	810	842

Position	10 mm away from bead			
Preheat Temperature	30 °C	100 °C	150 °C	200 °C
Experimental (°C)	Failed	373	Failed	313
Numeric (°C)	364	419	448	483

Position	6 mm away from bead			
Preheat Temperature	30 °C	100 °C	150 °C	200 °C
Experimental (°C)	Failed	660	743	670
Numeric (°C)	575	604	633	667

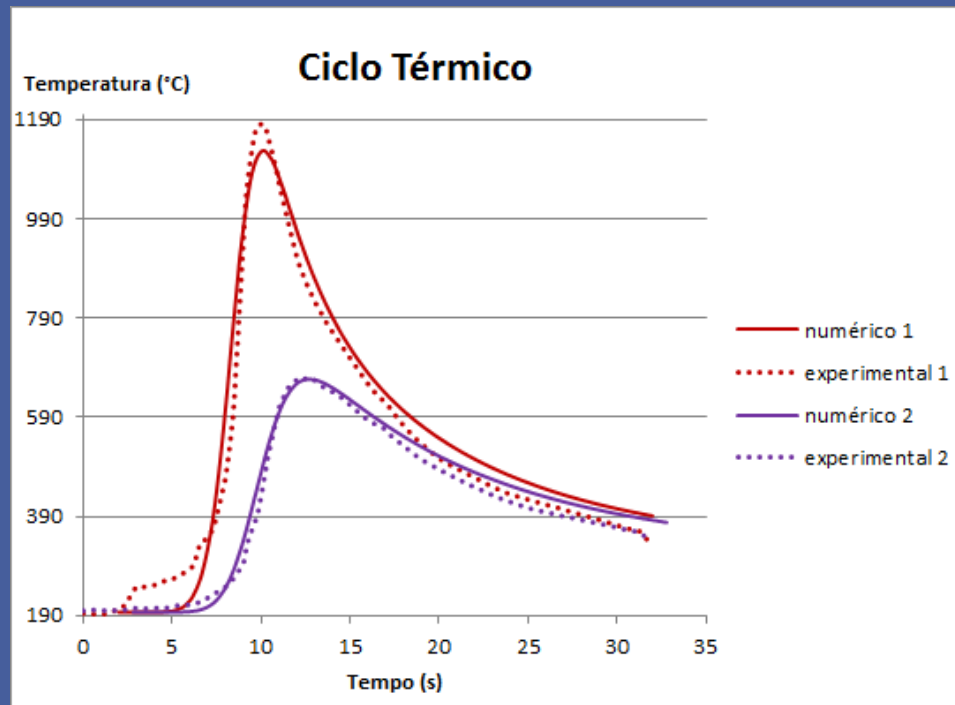
Validation

➤ Cooling Time

Cooling Time 800 °C to 500 °C (s)					
	-30 °C	30 °C	100 °C	150 °C	200 °C
Experimental	4.47	5.55	6.83	7.55	10.50
Numeric	4.65	5.10	7.35	8.40	10.55

Validation

➤ Thermal Cycle



Preheat of 200 °C

Future Works

- Consider Phase Transformation
- Consider Material Deposition
- Predict the Microstructure
- Evaluate Distortion and Residual Stress

Conclusions

Through this study it was possible to conclude that COMSOL Multiphysics provide sufficient conditions to simulate the electric arc welding process in order to obtain the cooling rate and peak temperatures.

References

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- 3. N. T. Nguyen, Y. W. Mai, S. Simpson and A. Ohta: Analytical Approximate Solution for Double Ellipsoidal Heat Source in Finite Thick Plate, Welding Journal, march 2004.
- 4. H. M. Aarbogh, M. Hamide, H. G. Fjaer, A. Mo and M. Bellet: Experimental validation of finite element codes for welding deformations, Journal of Materials Processing Technology 210 (2010).
- 5. A. Anca, A. Cardona, J. Risso and V. D. Fachinotti: Finite element modeling of welding processes, Applied Mathematical Modelling 35 (2011).

Thank you for your attention!

Any question?

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